

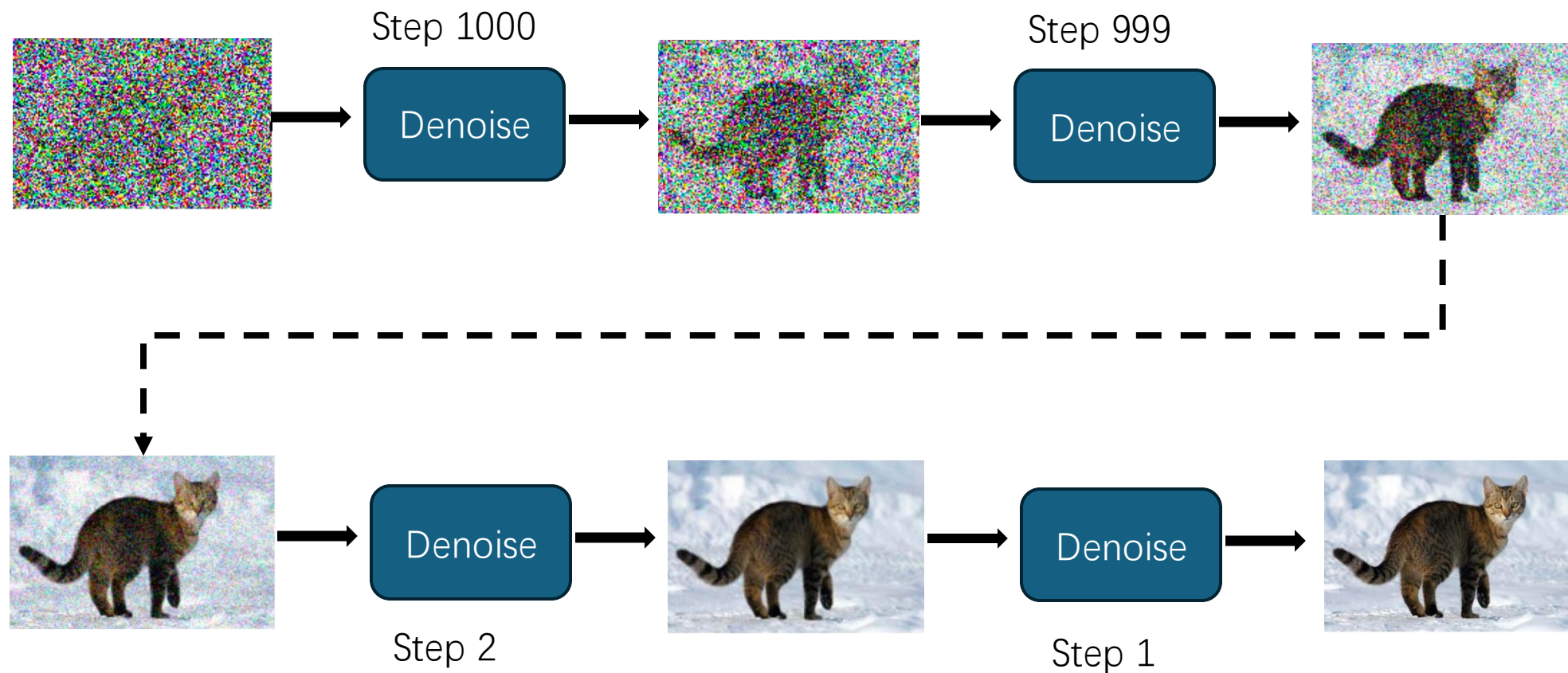
Diffusion Model

Shared by jerryrzeng

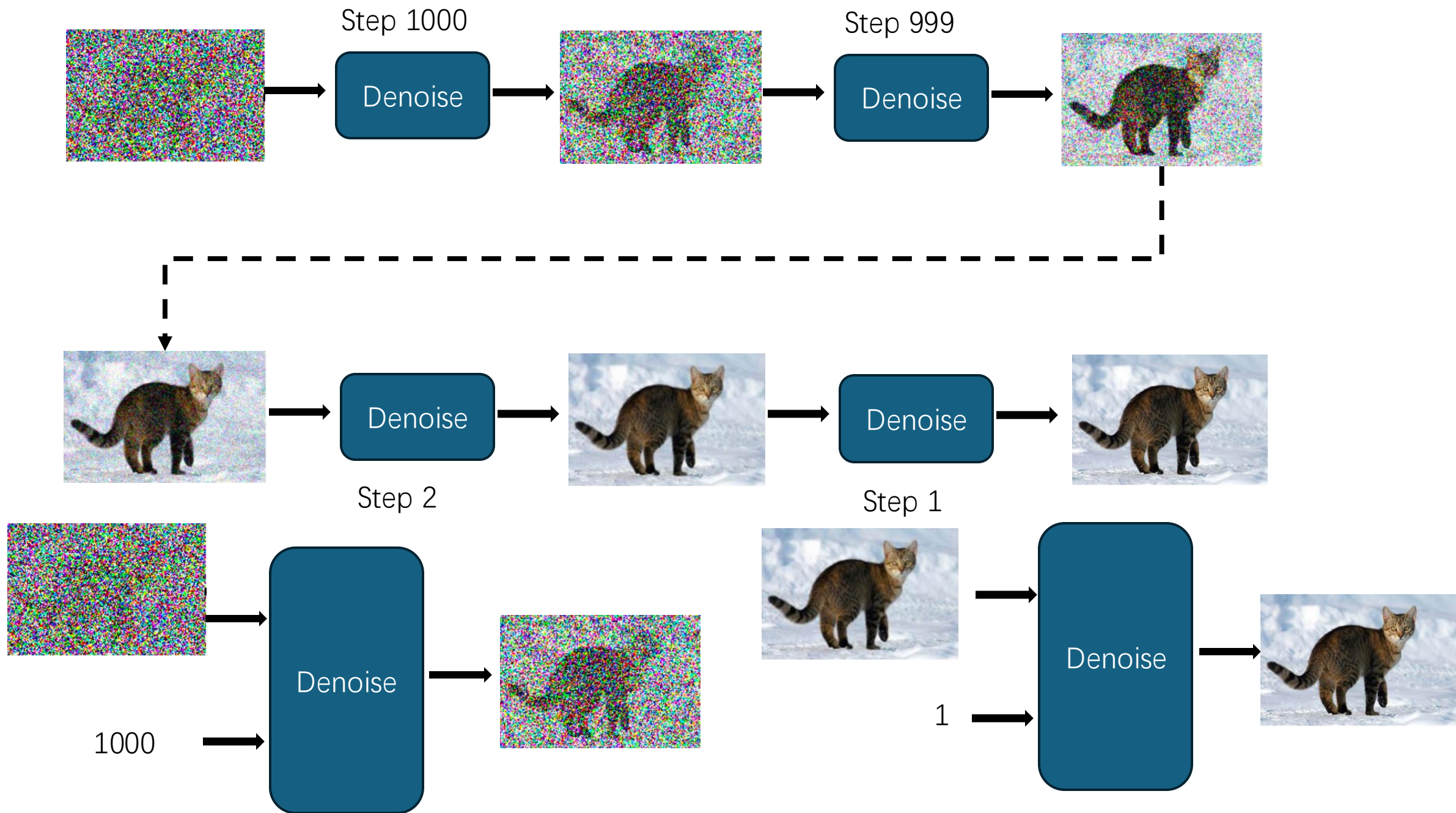
Denoising Diffusion Probabilistic Models (DDPM)

[\[2006.11239\] Denoising Diffusion Probabilistic Models \(arxiv.org\)](#)

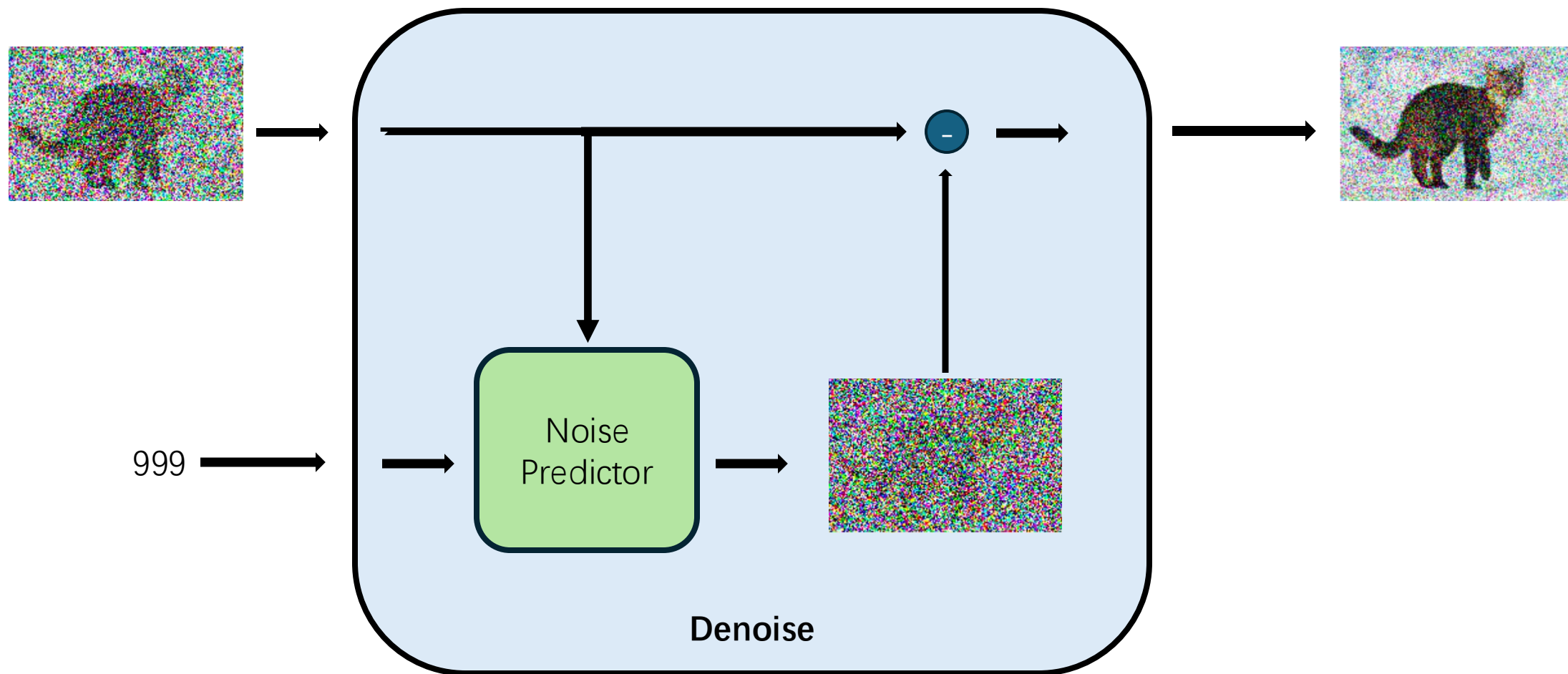
Diffusion Model是如何运作的?



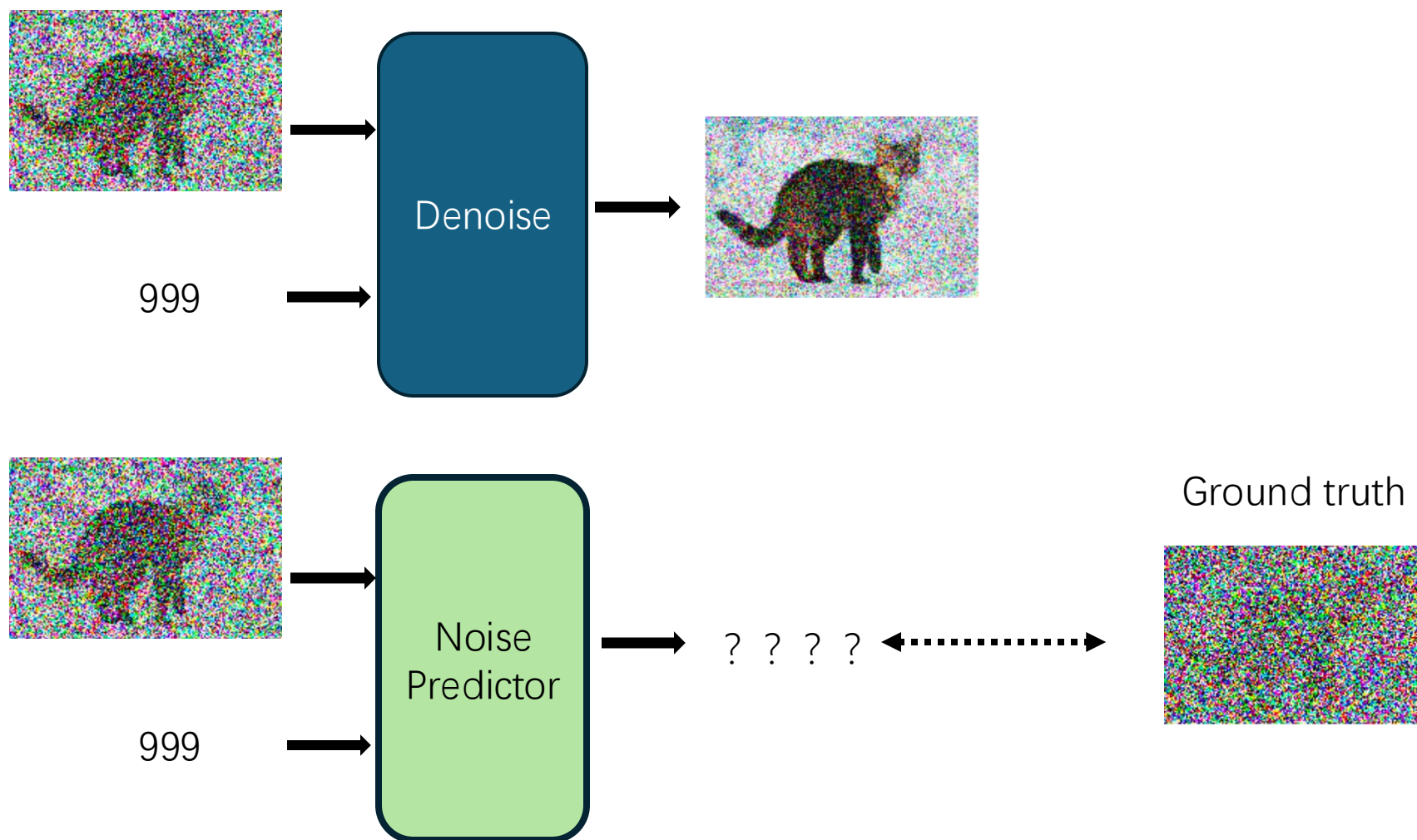
Reverse Process



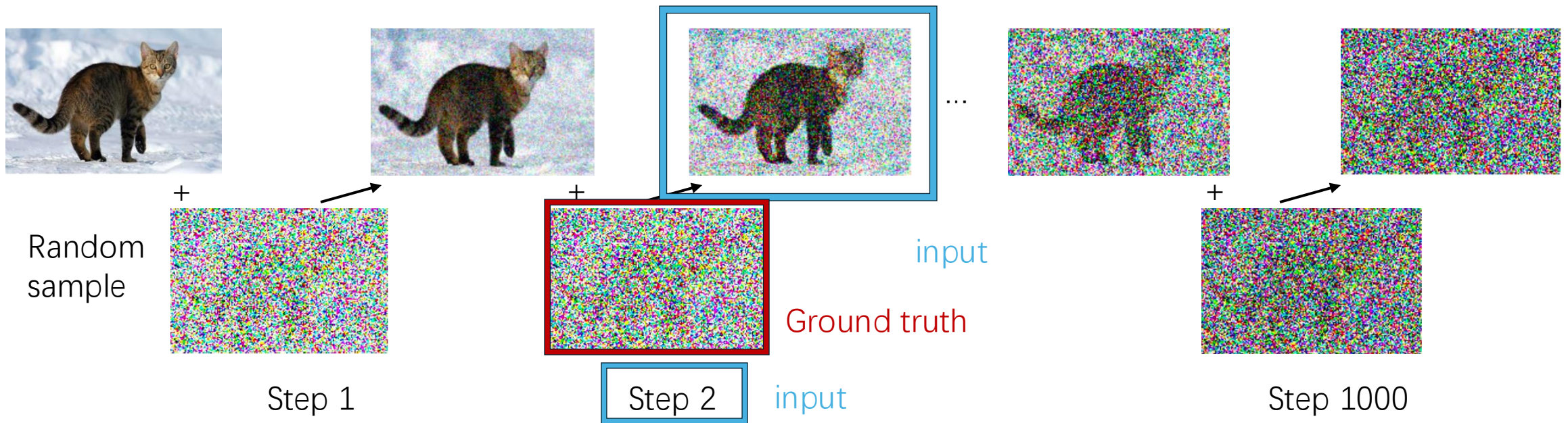
Denoise 模块内部实际做的事情

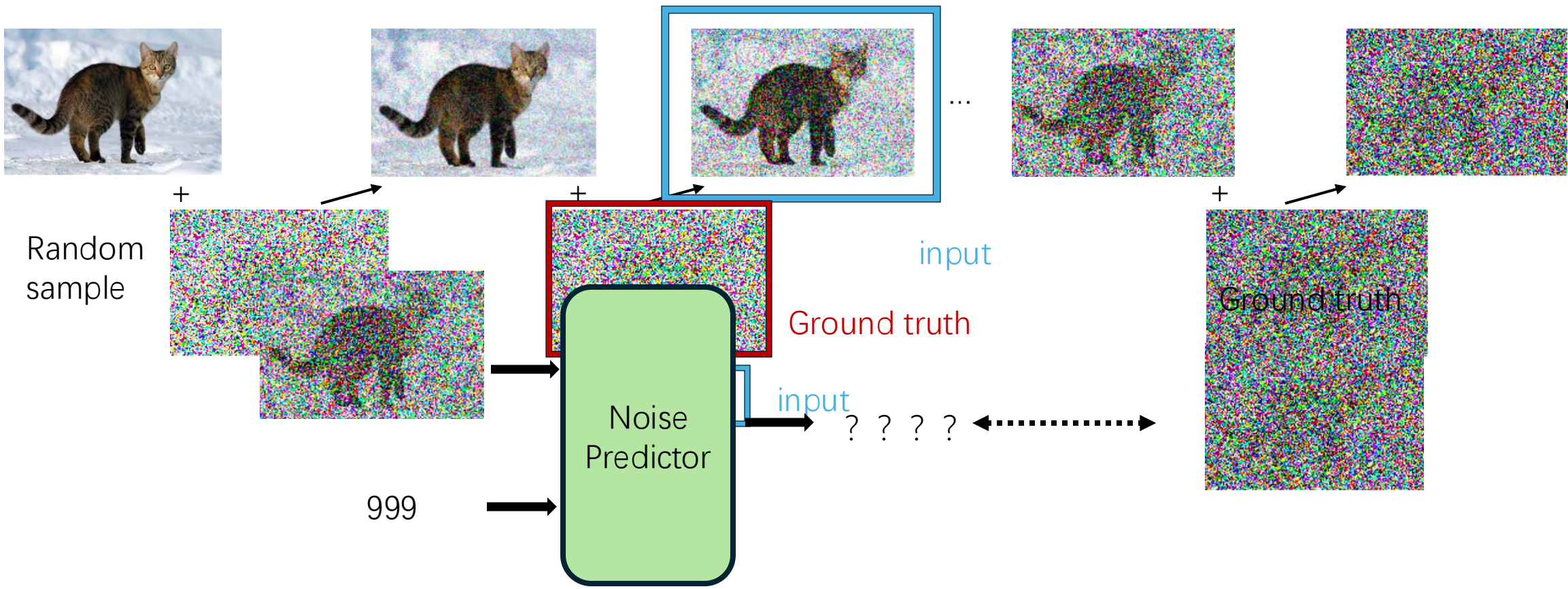


如何训练Noise Predictor



Forward Process (Diffusion Process)





Text-to-Image

[LAION-5B: A NEW ERA OF OPEN LARGE-SCALE MULTI-MODAL DATASETS | LAION](#)

A cat in
the snow

Text-to-image
Generator



ImageNet
1M

LAION
5.85B

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Backend url:

<https://knn5.laion>

Index:

laion_5B

french cat

[Clip retrieval](#) works by converting the text query to a CLIP embedding, then using that embedding to query a knn index of clip image embedddings

Display captions ☒
Display full captions ☐
Display similarities ☐

Safe mode ☒
Hide duplicate urls ☒

Hide (near) duplicate images ☒
Search over

image

Search with multilingual clip



french cat



french cat



How to tell if your feline is french. He wears a b...



網友挑戰「加幾筆畫出最創意貓咪圖片」，



cat in a suit Georgian sells tomatoes

Text-to-Image

A cat in the snow



Text-to-image
Generator



A cat in the snow



Denoise



Denoise



Denoise



Denoise



A cat in the snow



A cat in the snow



Text-to-Image

A cat in
the snow



Text-to-image
Generator



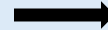
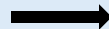
A cat in the snow



999



Noise
Predictor



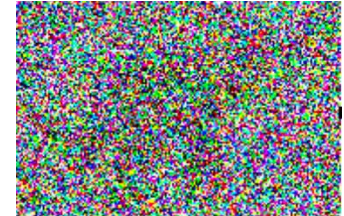
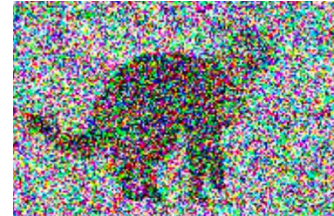
Denoise

A cat in the snow

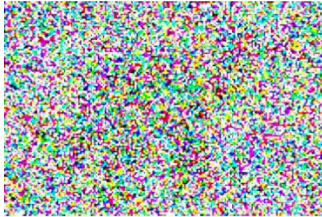
input



...



Random sample



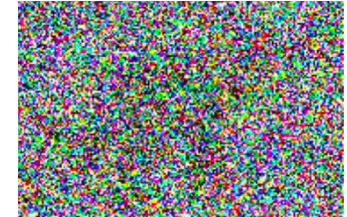
Step 1



Step 2

input

Ground truth

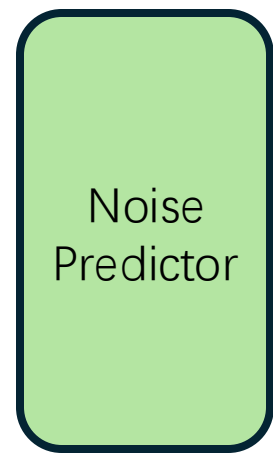


Step 1000



A cat in the snow

2



? ? ? ?

Ground truth



Algorithm 1 Training

1: **repeat**
2: $\mathbf{x}_0 \sim q(\mathbf{x}_0)$
3: $t \sim \text{Uniform}(\{1, \dots, T\})$
4: $\boldsymbol{\epsilon} \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$
5: Take gradient descent step on
 $\nabla_{\theta} \|\boldsymbol{\epsilon} - \boldsymbol{\epsilon}_{\theta}(\sqrt{\bar{\alpha}_t} \mathbf{x}_0 + \sqrt{1 - \bar{\alpha}_t} \boldsymbol{\epsilon}, t)\|^2$
6: **until** converged

Algorithm 2 Sampling

1: $\mathbf{x}_T \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$
2: **for** $t = T, \dots, 1$ **do**
3: $\mathbf{z} \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$ if $t > 1$, else $\mathbf{z} = \mathbf{0}$
4: $\mathbf{x}_{t-1} = \frac{1}{\sqrt{\alpha_t}} \left(\mathbf{x}_t - \frac{1 - \alpha_t}{\sqrt{1 - \bar{\alpha}_t}} \boldsymbol{\epsilon}_{\theta}(\mathbf{x}_t, t) \right) + \sigma_t \mathbf{z}$
5: **end for**
6: **return** $\mathbf{x}_0$

Training



x_0 : clean image



ϵ : noise

Algorithm 1 Training

1: **repeat**

2: $\mathbf{x}_0 \sim q(\mathbf{x}_0)$ $\leftarrow$ Sample clean image

3: $t \sim \text{Uniform}(\{1, \dots, T\})$

4: $\epsilon \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$ $\leftarrow$ Sample a noise

5: Take gradient descent step on

$$\nabla_{\theta} \left\| \epsilon - \epsilon_{\theta}(\underbrace{\sqrt{\bar{\alpha}_t} \mathbf{x}_0 + \sqrt{1 - \bar{\alpha}_t} \epsilon, t)}_{\text{Noise image}} \right\|^2$$

6: **until** converged

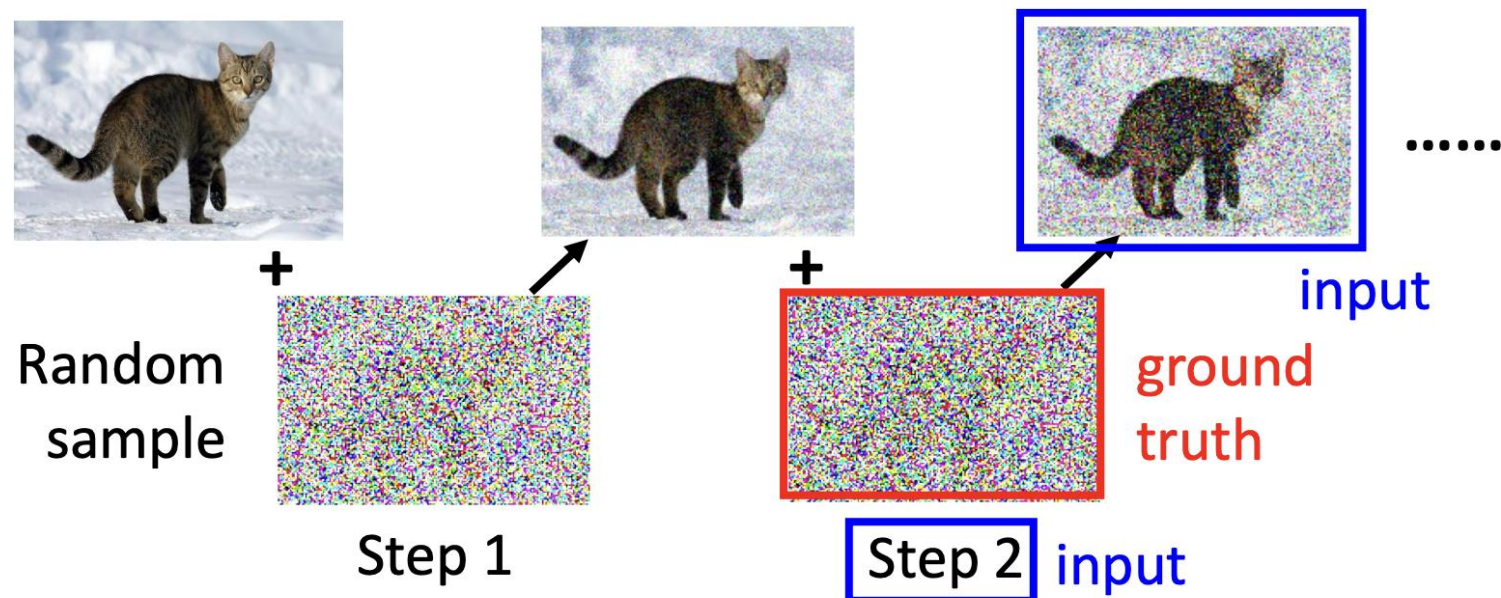
Target Noise

Noise Predictor

$\bar{\alpha}_1, \bar{\alpha}_2, \dots, \bar{\alpha}_T$
→
smaller

Training

理论上



实际中

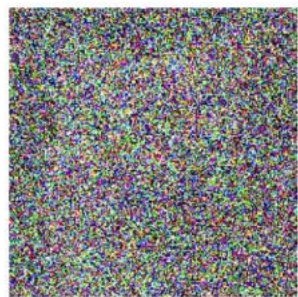
$$\sqrt{\bar{\alpha}_t} x_0 + \sqrt{1 - \bar{\alpha}_t} \varepsilon = \text{input}$$

The diagram illustrates the practical training process for a denoising autoencoder. It shows the equation: $\sqrt{\bar{\alpha}_t} x_0 + \sqrt{1 - \bar{\alpha}_t} \varepsilon = \text{input}$. The first term, $\sqrt{\bar{\alpha}_t} x_0$, is represented by a cat image labeled x_0 . The second term, $\sqrt{1 - \bar{\alpha}_t} \varepsilon$, is represented by a noise image labeled ε and 'ground truth'. The result is an image labeled 'input' enclosed in a blue box.

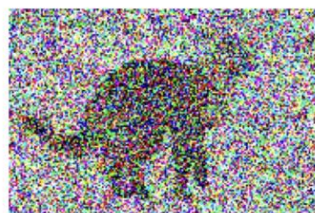
Inference

Algorithm 2 Sampling

```
1:  $\mathbf{x}_T \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$ 
2: for  $t = T, \dots, 1$  do
3:    $\mathbf{z} \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$  if  $t > 1$ , else  $\mathbf{z} = \mathbf{0}$ 
4:    $\mathbf{x}_{t-1} = \frac{1}{\sqrt{\alpha_t}} \left( \mathbf{x}_t - \frac{1-\alpha_t}{\sqrt{1-\bar{\alpha}_t}} \epsilon_{\theta}(\mathbf{x}_t, t) \right) + \sigma_t \mathbf{z}$ 
5: end for
6: return  $\mathbf{x}_0$ 
```

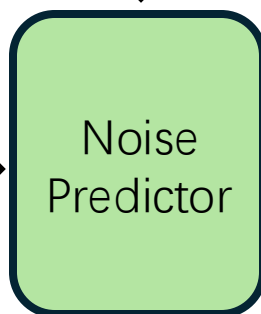


$\mathbf{x}_T$



$\mathbf{x}_t$

t



$\frac{1-\alpha_t}{\sqrt{1-\bar{\alpha}_t}}$

-

$\frac{1}{\sqrt{\alpha_t}}$



+

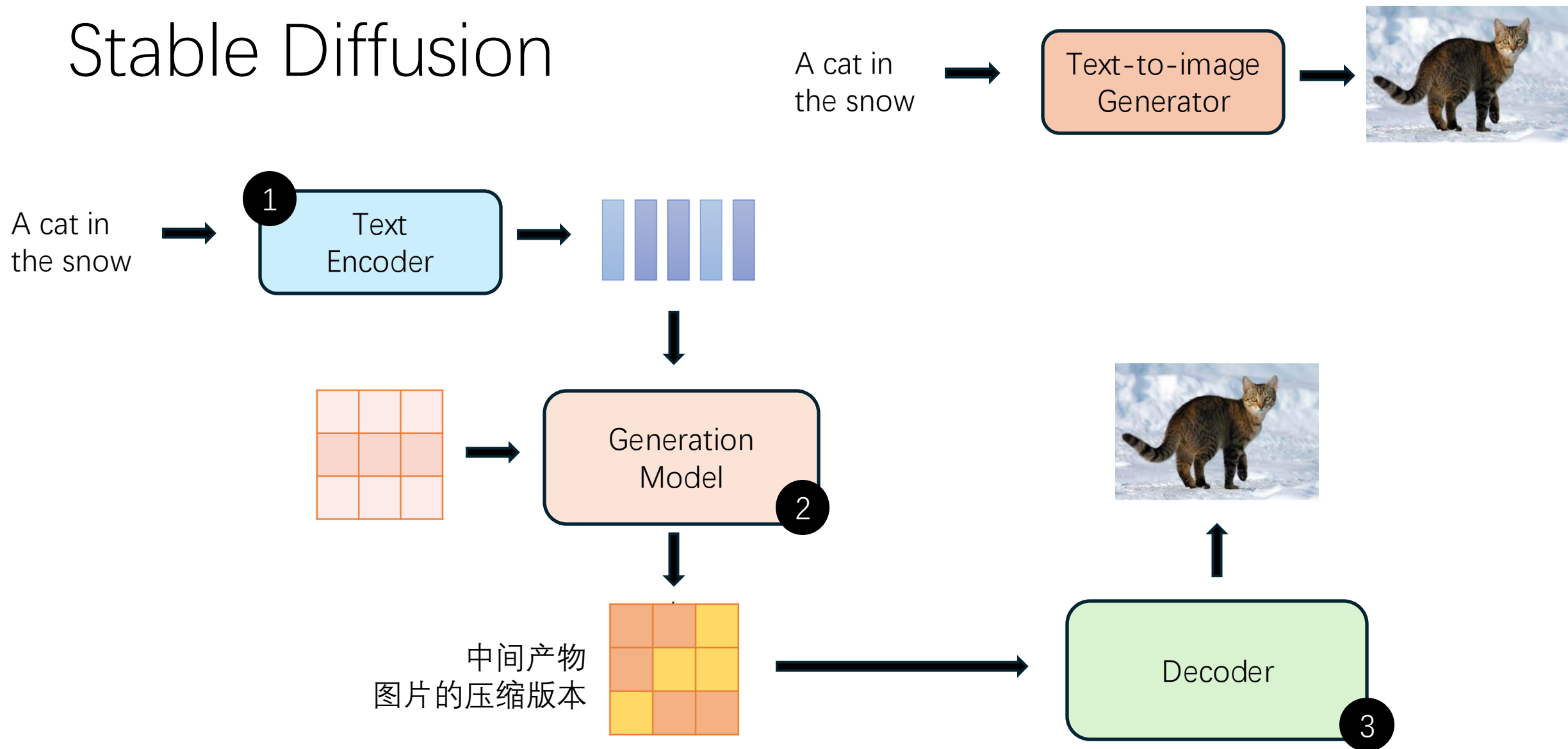
$\mathbf{z}$



$\mathbf{x}_{t-1}$

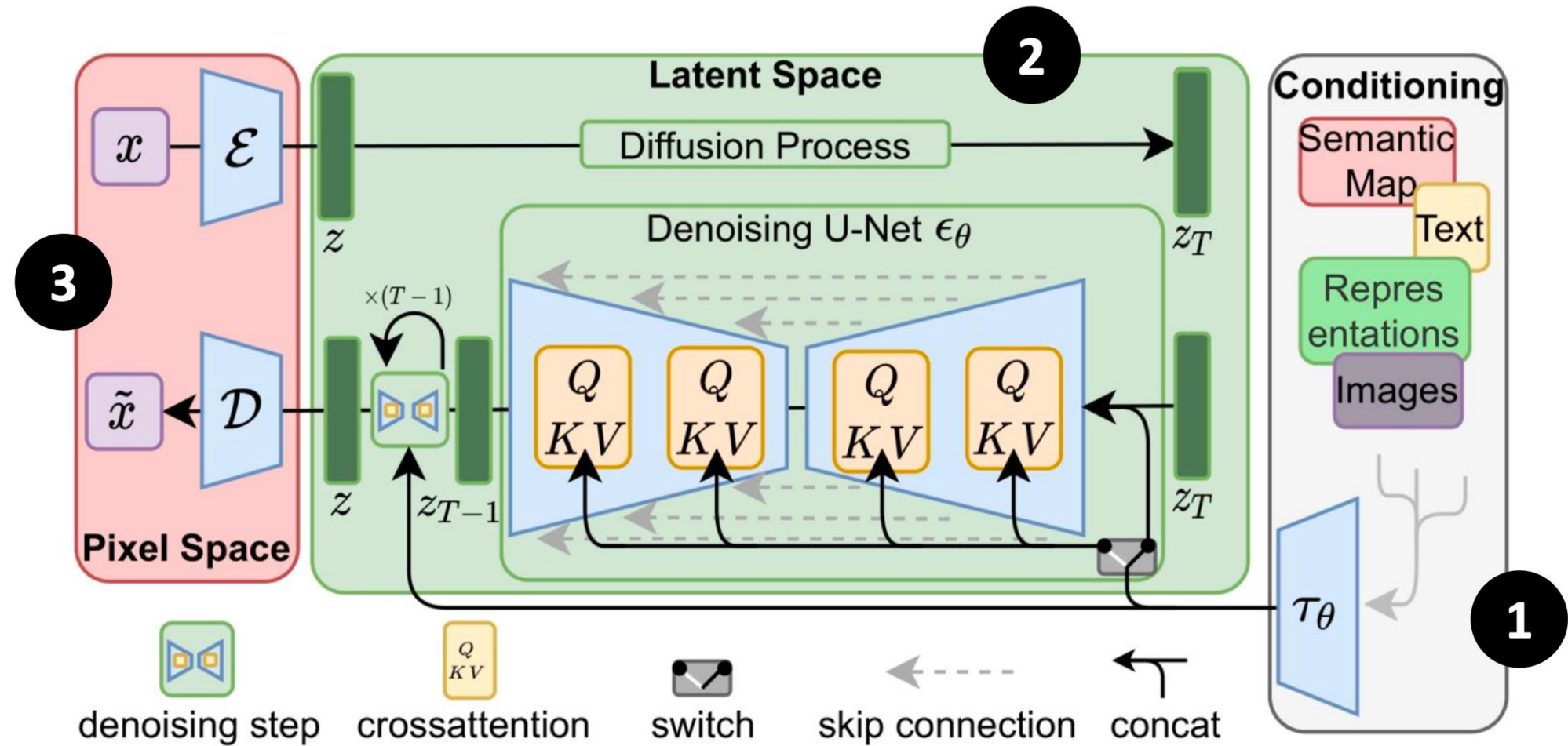
$\bar{\alpha}_1, \bar{\alpha}_2, \dots, \bar{\alpha}_T$
 $\alpha_1, \alpha_2, \dots, \alpha_T$

Stable Diffusion

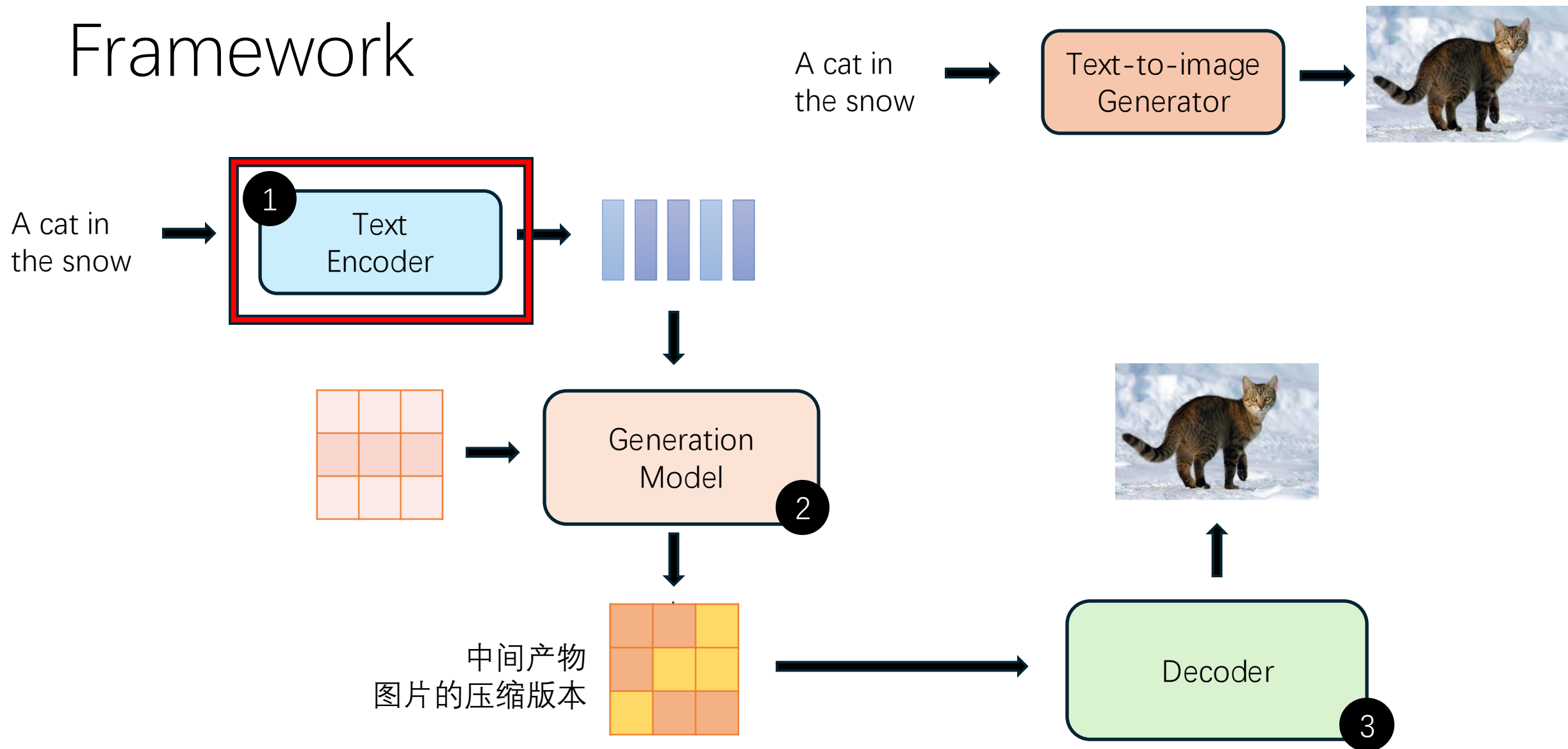


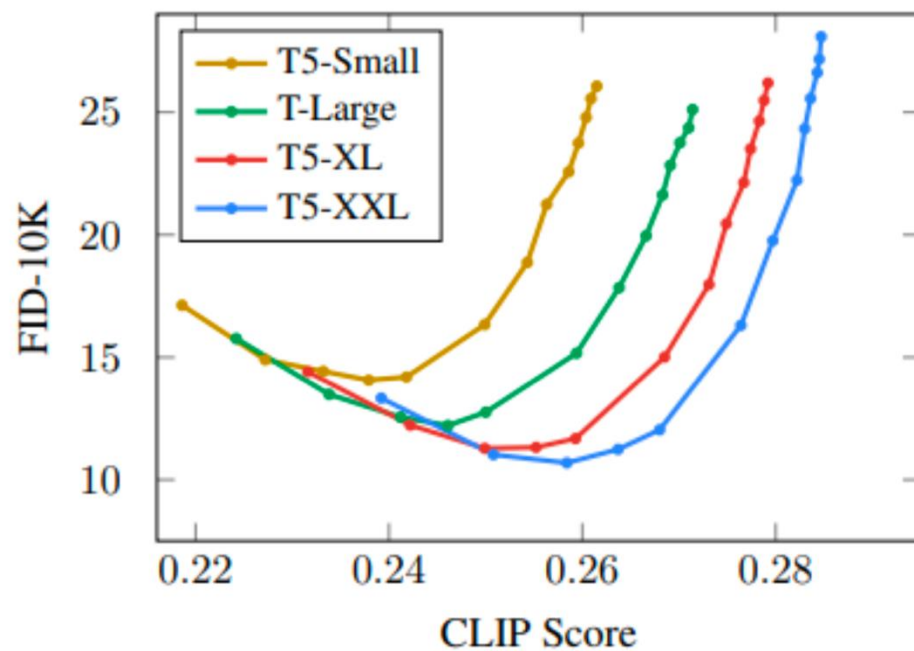
Stable Diffusion

[2112.10752] High-Resolution Image Synthesis with Latent Diffusion Models (arxiv.org)

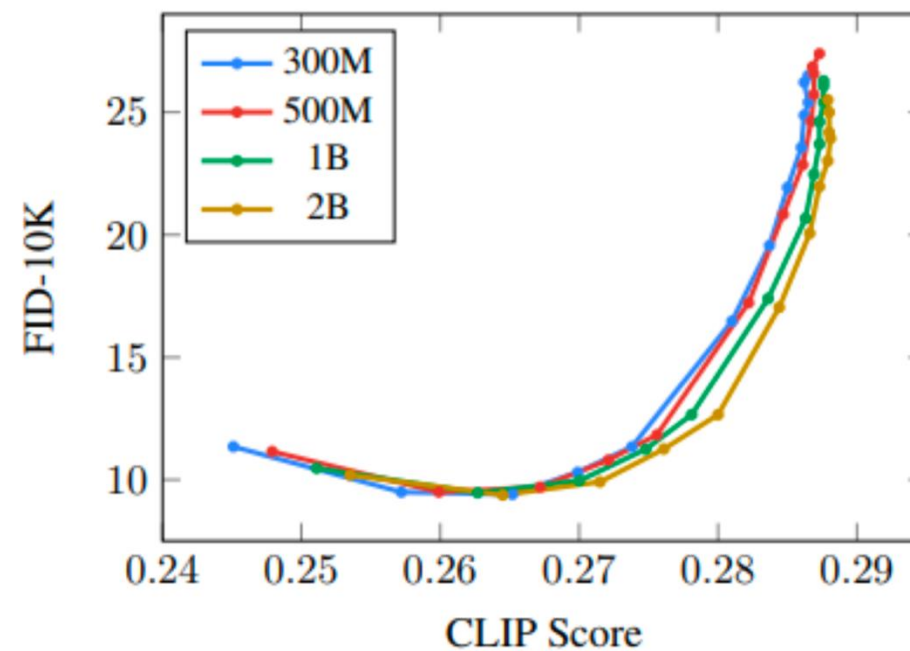


Framework





(a) Impact of encoder size.

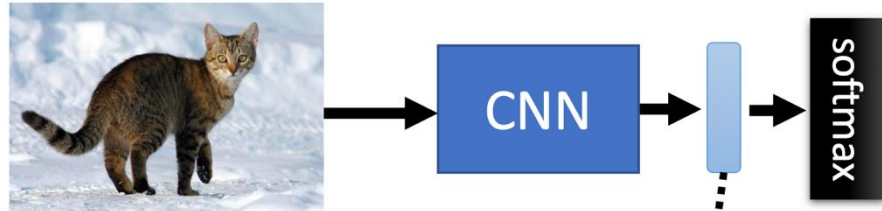


(b) Impact of U-Net size.

[\[2205.11487\] Photorealistic Text-to-Image Diffusion Models with Deep Language Understanding \(arxiv.org\)](#)

Fréchet Inception Distance (FID)

[\[1706.08500\] GANs Trained by a Two Time-Scale Update Rule Converge to a Local Nash Equilibrium \(arxiv.org\)](#)



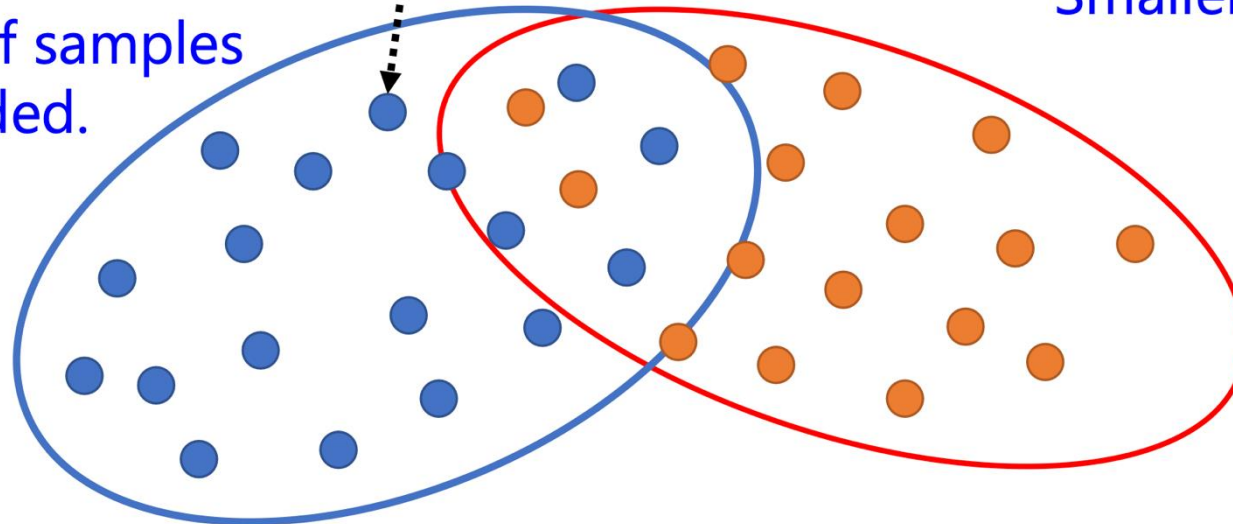
red points: real images

blue points: generated images

FID = Fréchet distance
between the two **Gaussians** ???

Smaller is better

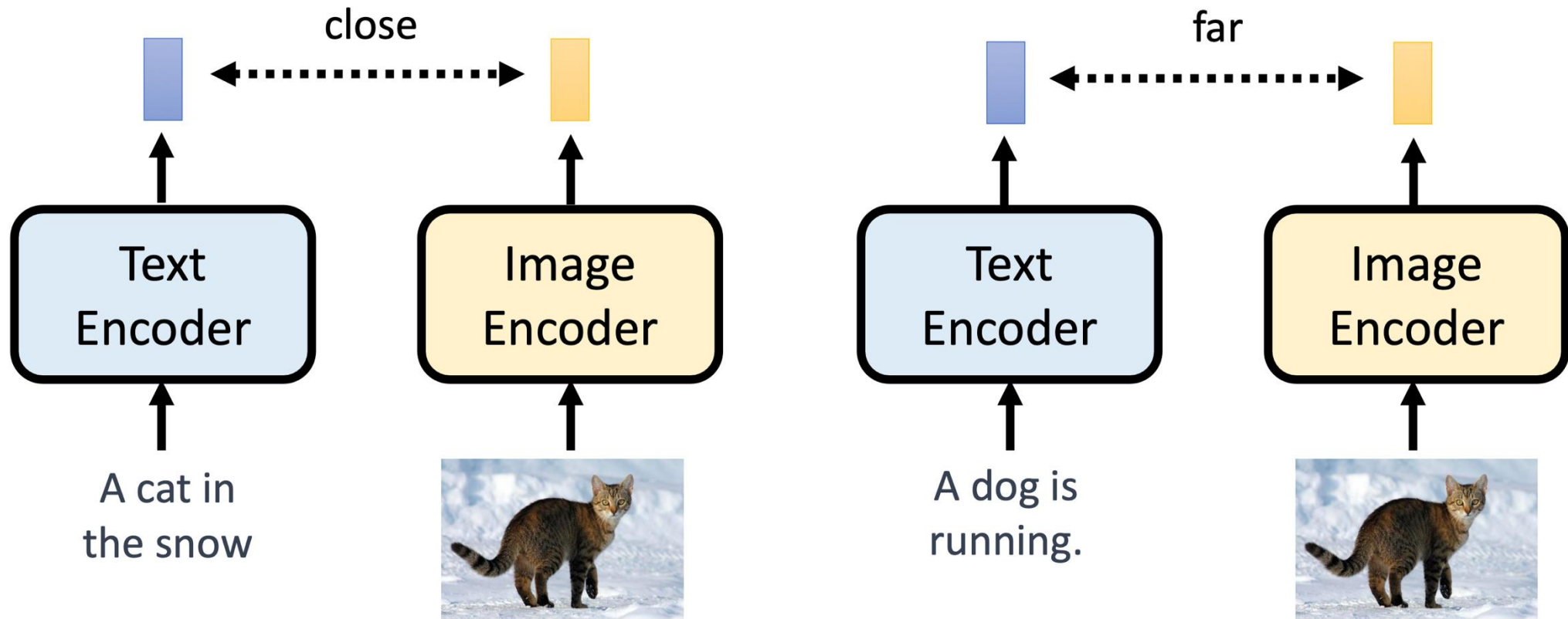
A lot of samples
is needed.



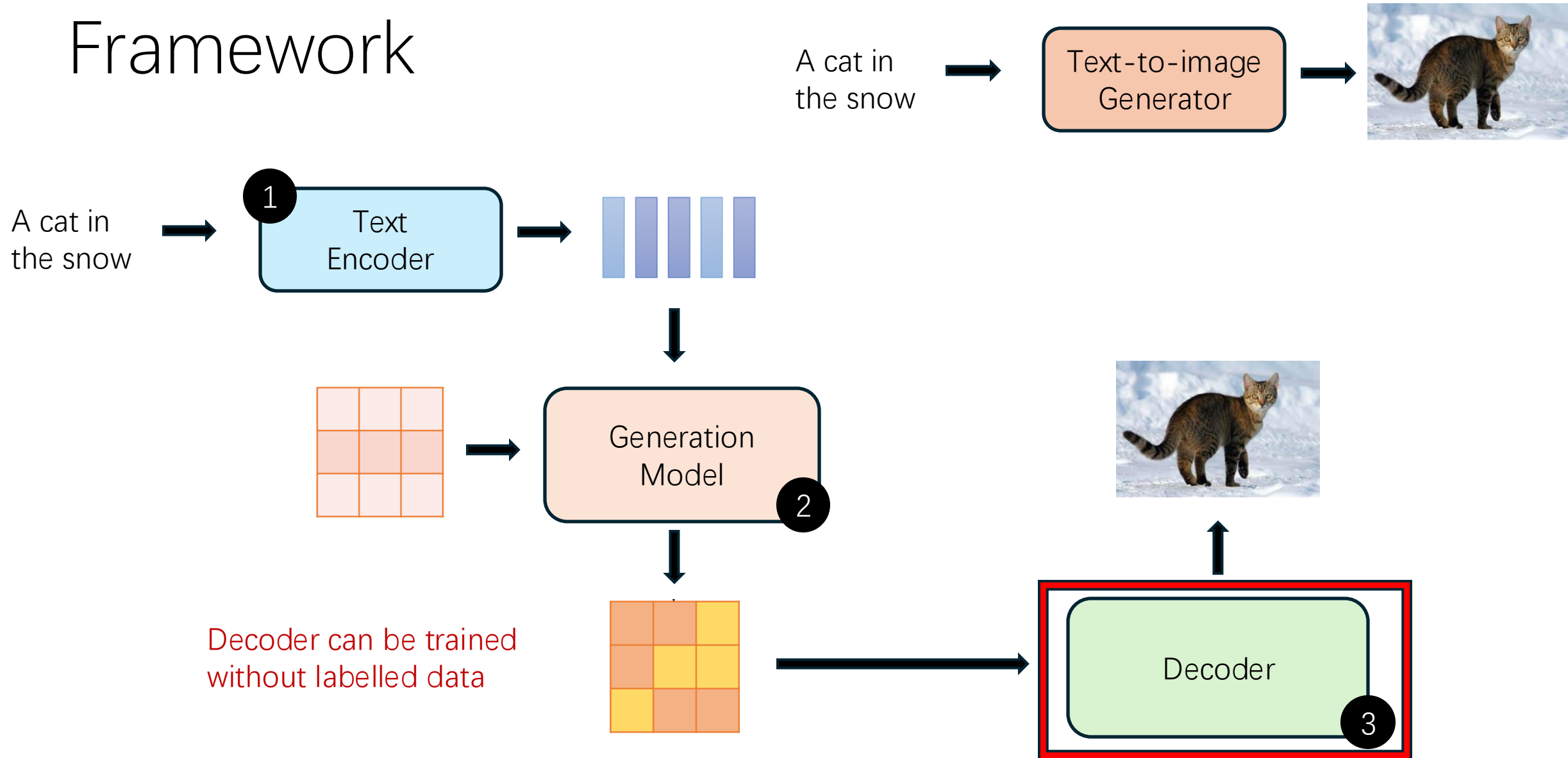
Contrastive Language-Image Pre-Training (CLIP)

[\[2103.00020\] Learning Transferable Visual Models From Natural Language Supervision \(arxiv.org\)](#)

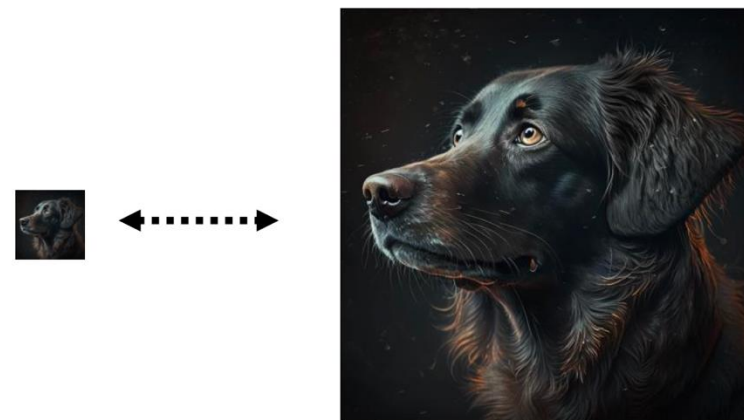
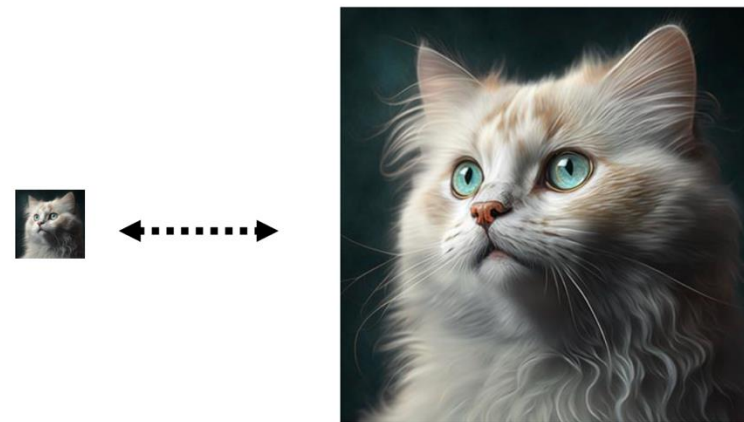
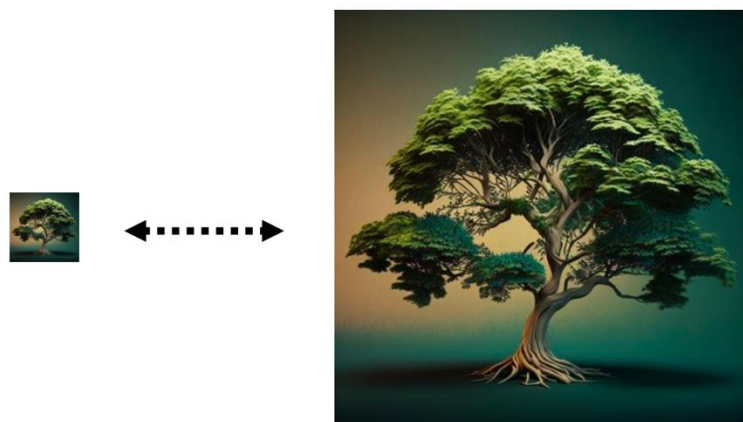
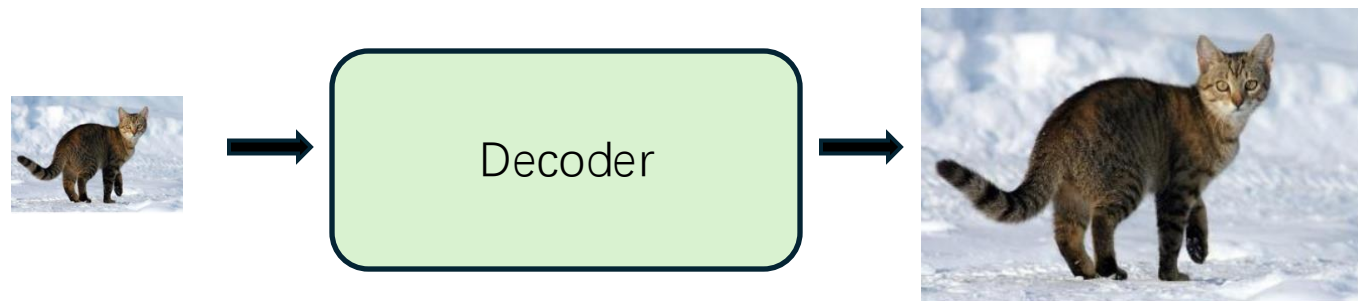
400 million image-text pairs



Framework



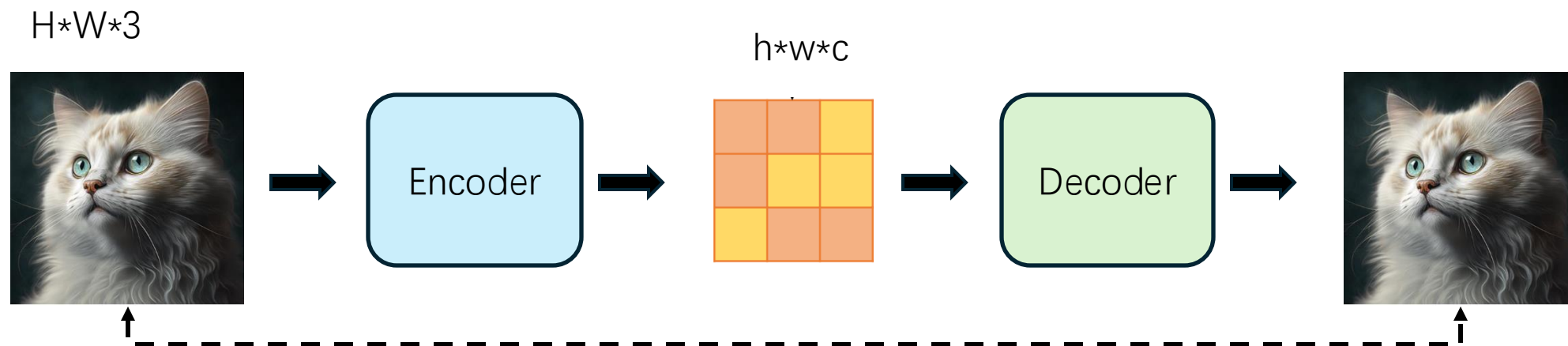
中间产物为小图



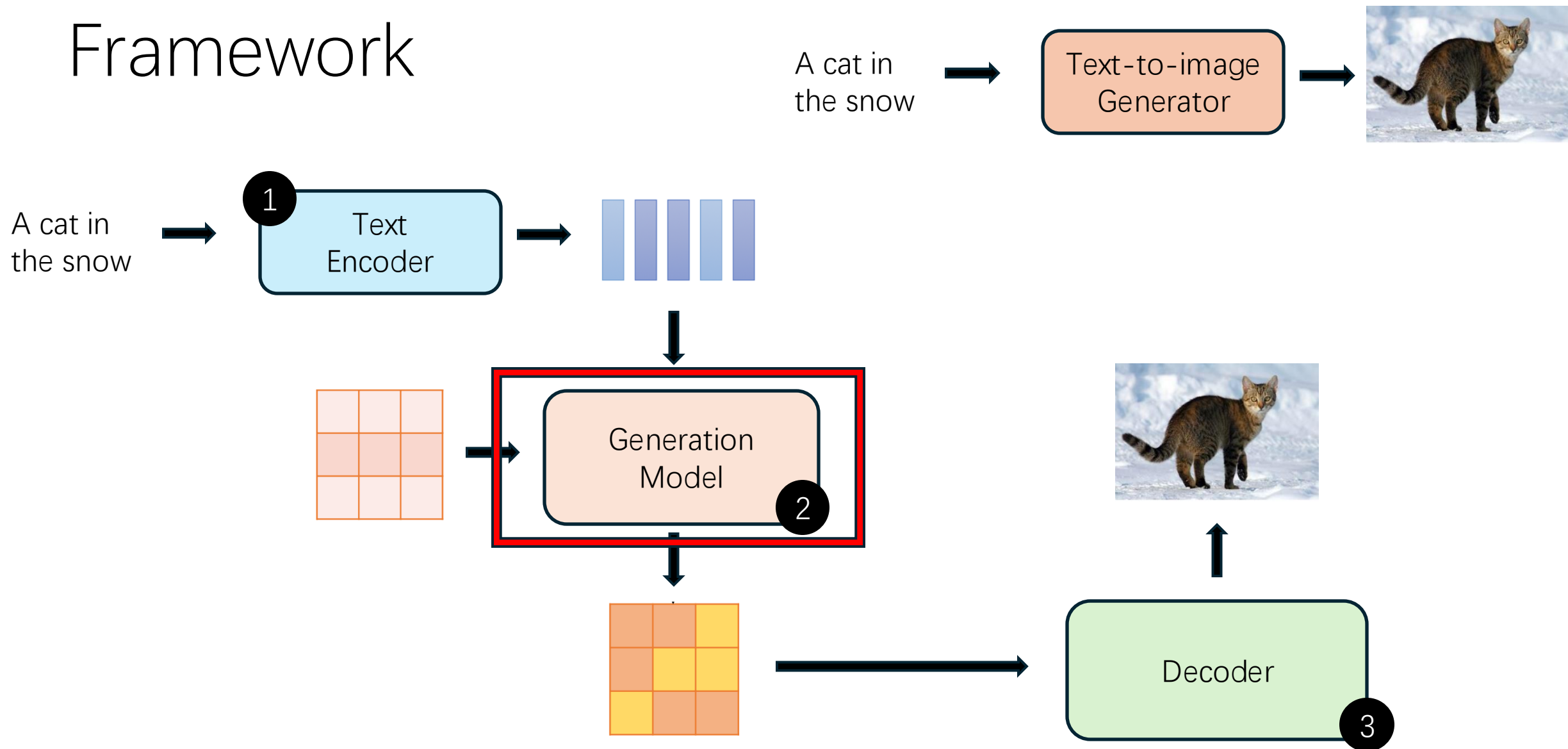
中间产物为 Latent Representation



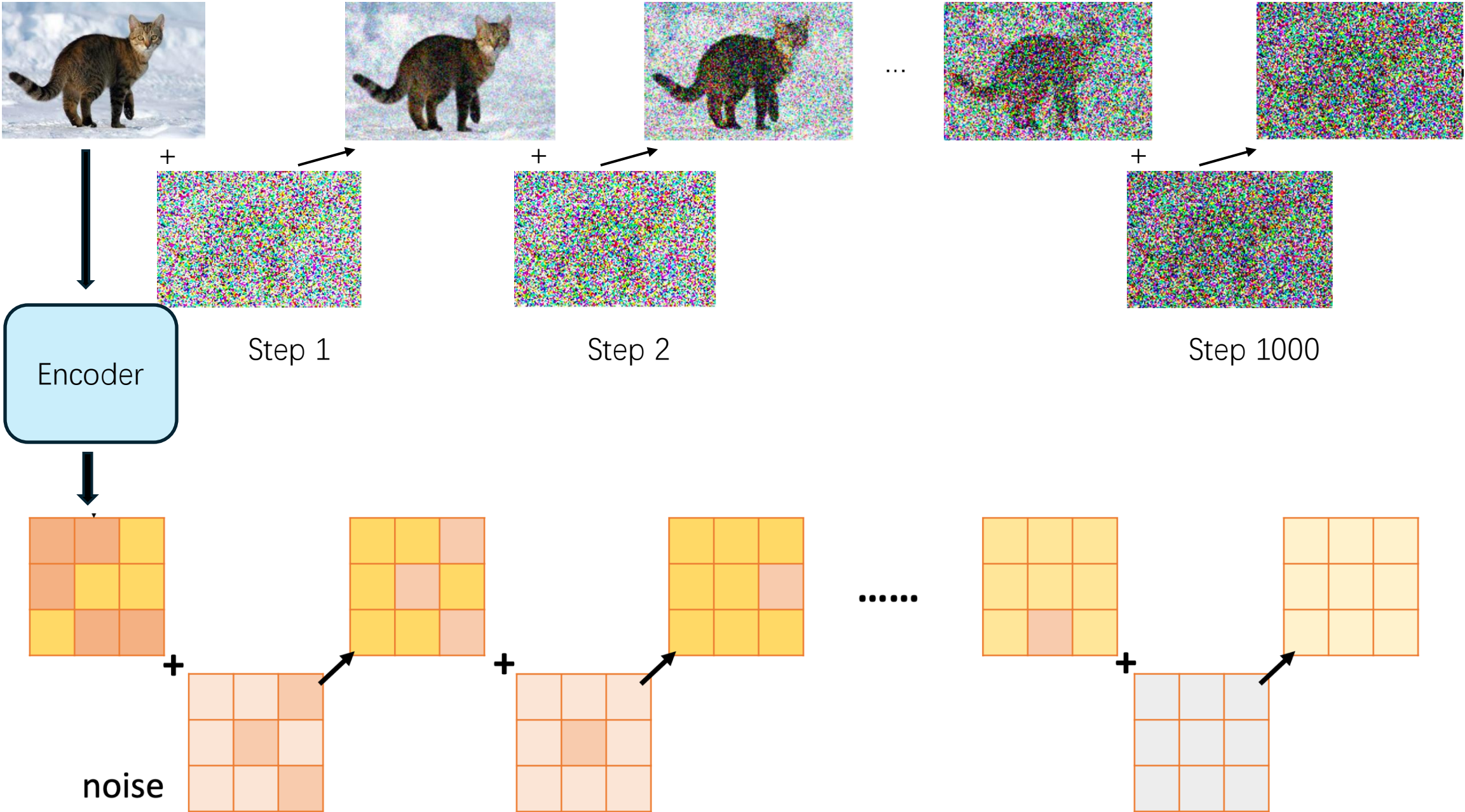
Auto-encoder

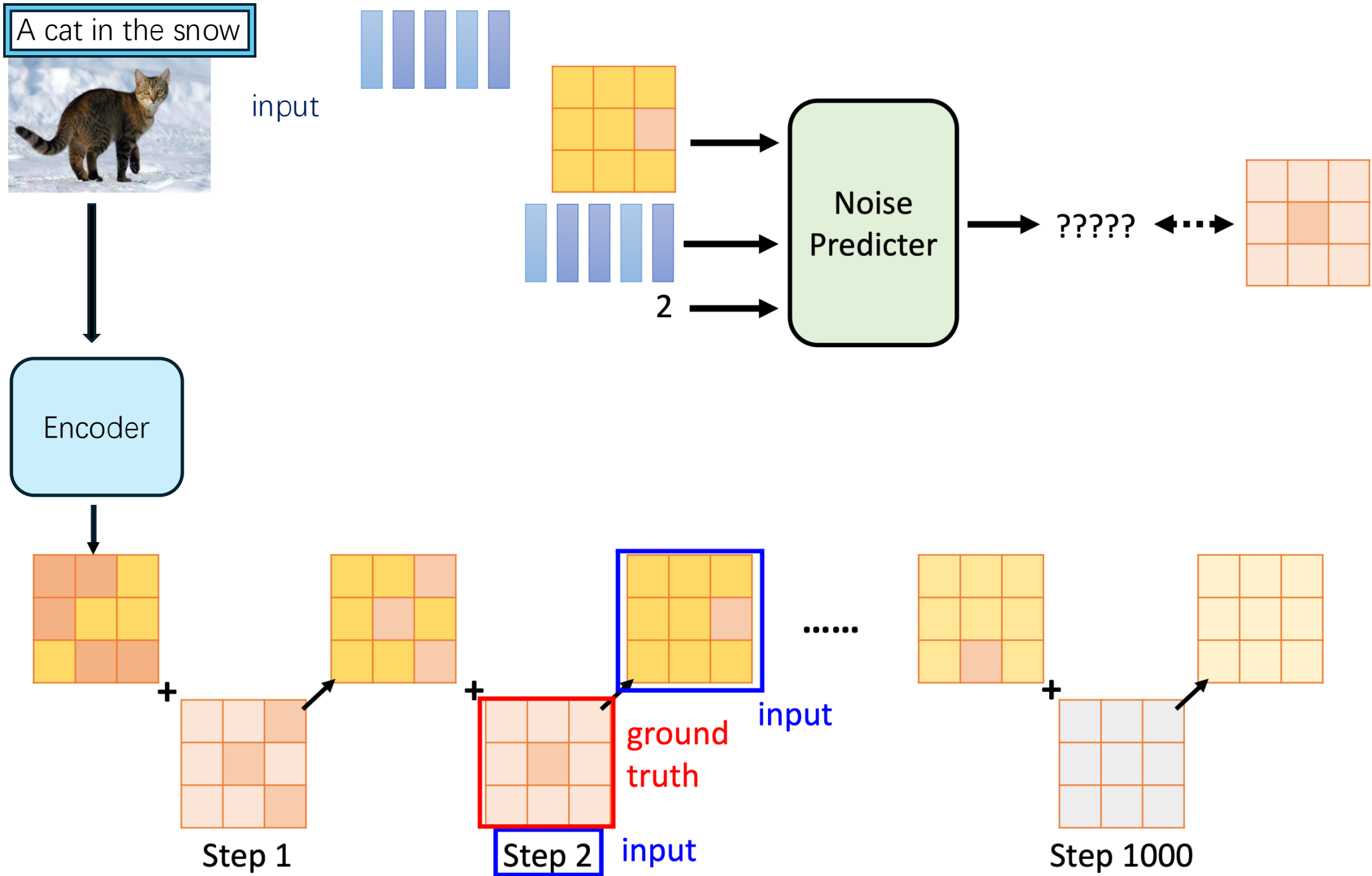


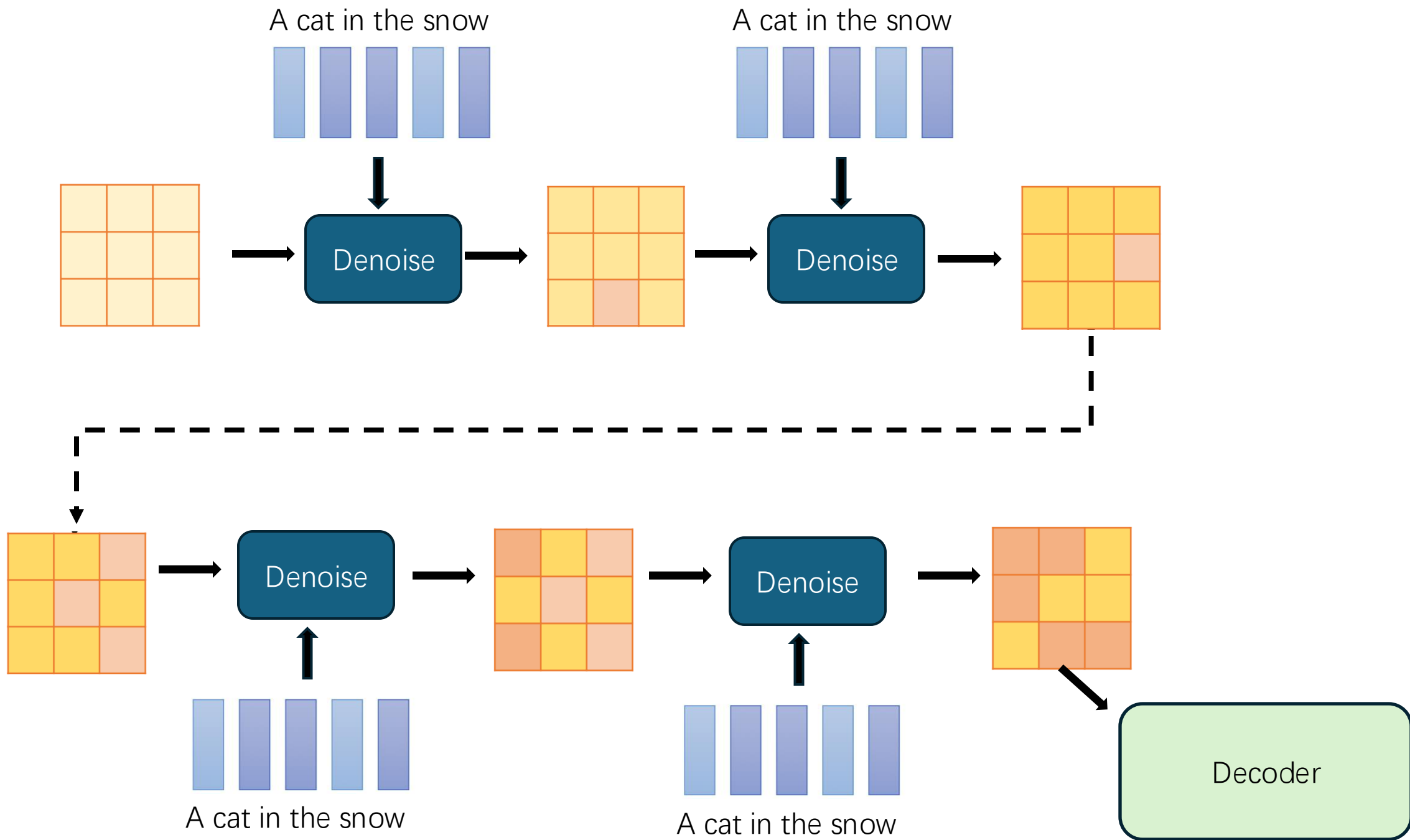
Framework



A cat in the snow







Stable Diffusion

